

**Attempt the Following Questions: -**

**Maximum Marks :90 Marks**

**1-(a)** - Define the Following Terms:-

- i- Break Away Point
- ii- Centroid
- iii- Root Locus Angle of Departure
- iv- Marginally Stable System

**(b)** A control system has a forward transfer function  $G_F(s) = \frac{k}{S(S+6)}$  & a negative feedback transfer function :  $H(s) = \frac{k}{S(S+3)}$  **(4 Marks)**

Apply the phase angle condition to construct the root loci , then determine :

- i- Break- away point , ii- the value of k such that the system becomes marginally stable , iii- if the system has a damping ratio :  $\xi = 0.5$  , find the closed loop poles at the points of intersection between the root locus branches & straight line having a slope :

$$\tan \theta = \frac{\pm \sqrt{1 - \xi^2}}{\xi} \quad \text{--- (25 Marks)}$$

**2-(a)** – Define the Following Terms:

- i- Corner frequency , ii- Gain cross –over frequency
- iii- Gain margin , iii- Phase cross –over frequency

**(b)-** A negative unity feed-back control system has an open-loop transfer function:-

$$G(s)H(s) = \frac{k}{S(1+0.05 S)(1+0.01 S)}$$

- If  $k=10$  , construct the Bode diagram & determine whether the systm is stabl or not ? & find both the gain and phase margins.
- Determine the value of  $k$  for marginal stability.

**(25 Marks)**

**3-(a)** – Complete the following expressions:

- i- A segment of the real axis lies on the root locus if .....
- ii- The root – locus is symmetrical around .....
- iii- Th centroid of asymptotes is given by .....
- iv- The Break-away point ..... & can be determined by solving the equation .....

**(5 marks)**

**(b)-** A negative feed-back control system has a forward transfer function:-

$$G_F(s) = \frac{4(S+1)}{(S-3)}$$

& a feed-back transfer function:  $H(s) = \frac{2.5}{S}$

Construct the root-locus of the system & determine:

**P.T.O**

i- The break- away point                      ii- The marginal value of the gain  
if the system exposed to a step input :  $r(t)=2$  , find the maximum over-shoot & the peak time by plotting the dynamic characteristics of the system , then find the steady- state error .

(20 Marks)

4-(a) – State Nyquist stability criterion

(4 Marks)

(b)- A negative feed-back control system has a forward transfer function:-

$$G_F(s) = \frac{k}{(s^2 + 6s + 10)}$$

& a feed-back transfer function:                       $H(s) = \frac{1}{s}$

If  $k=5$  , use Nyquist plot to determine both the gain and phase margins , then , determine the value of  $k$  for marginal stability .

N.B: use the range of  $\omega$  from 0.1 rad/sec , 0.5 , 1 , ..... , 5, 10, to 20 rad/sec

(20 Marks)

With my best wishes  
Prof.Dr.,Fayez F.G.Areed,  
9 a.m. wensday,12/6/2013